



**S.T.S.N. Govt. Degree College**

**KADIRI - 515591**

**Sri Sathya Sai Dist., A.P.**

Affiliated to Sri Krishnadevaraya University, Ananthapuramu.



## **DEPARTMENT OF MATHEMATICS**



Certificate course – **Number Theory**

**2021-22**

Kadiri

Date:14/3/2022

From  
Department of Mathematics  
STSN Govt.Degree College  
Kadiri.

To  
The Principal  
STSN Govt.Degree College  
Kadiri.

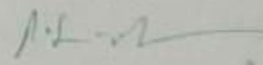
Sir/Madam,

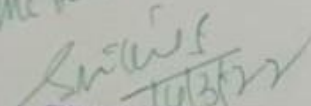
Sub:Requisition to conduct Add-on Course on Number Theory permission-Reg.

We , the Department of Mathematics, requesting you to give permission to conduct add-on course on Number Theory from 17.3.2022 to 16.4.2022 to the second year M.P.Cs students.

Thanking you Madam

Yours faithfully

  
(P. Sathya Sai)

Permitted  
  
PRINCIPAL  
STSN Govt.DEGREE COLLEGE  
KADIRI - 515 501  
Sri Sathya Sai (Dist)

Kadiri,

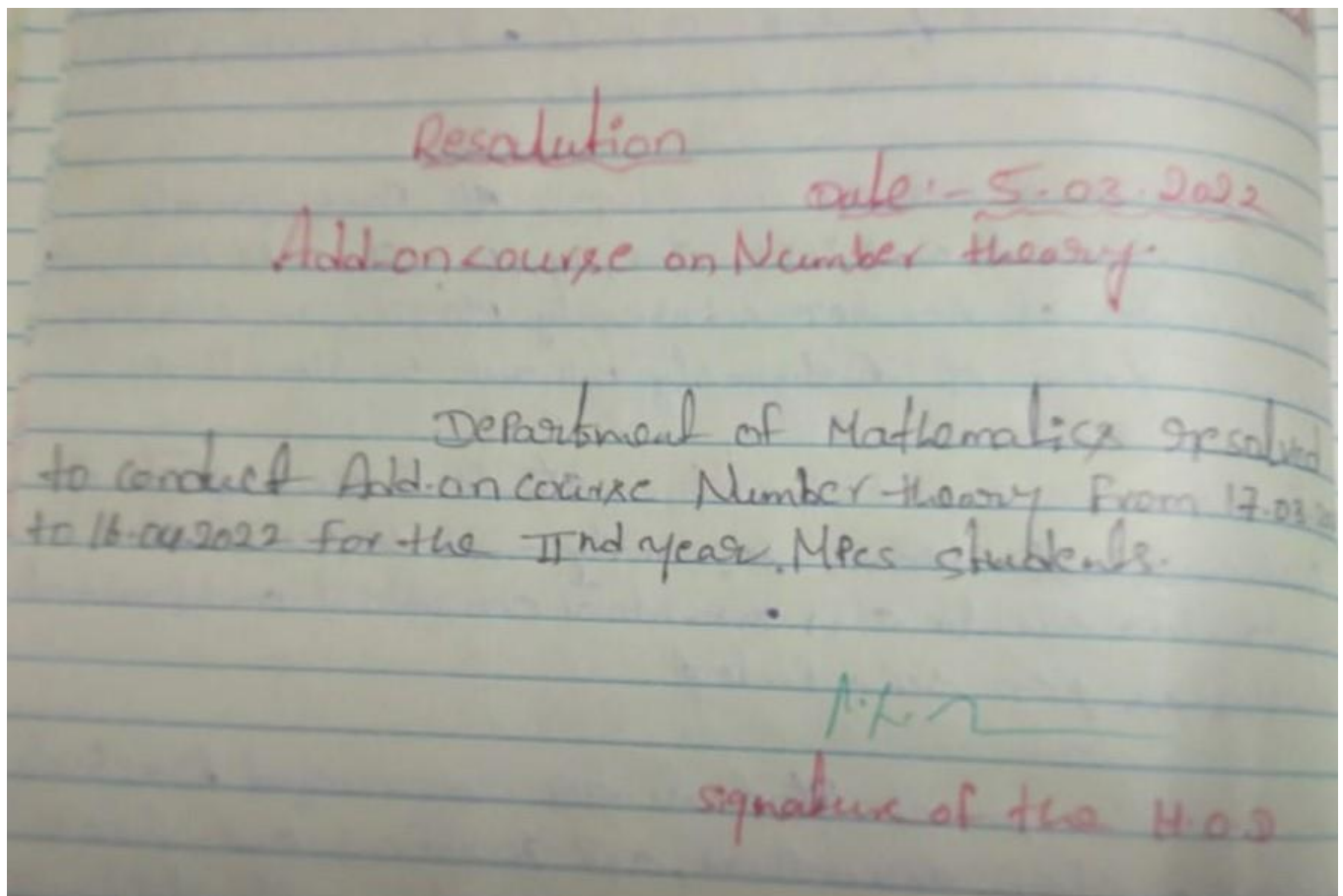
Date: 14/3/2022

**Circular**

The Department of Mathematics decided to conduct add-on Course on Number Theory from 17/3/2022 to 16/4/2022 (Total 30 hours, Every Day Timing 04.00 P.M. to 05.00 P.M.) to the B.Sc. IInd year (M.P.Cs) students. The II Year Mathematics Students are instructed to enroll their names in this course to P.Sivaprasad, Lecturer in Mathematics.



Signature of the Lecturer



**STSN Govt. Degree College Kadiri, Ananthapuramu**  
**Department of Mathematics**  
**Syllabus of add-on course on Number Theory**

**Course Objectives:**

To present a rigorous development of Number Theory using axioms, definitions, examples, theorems and their proofs.

**Topical Outline of the Course Content:**

**Module 1: Divisibility and Primes – 1:**

Well-ordering Principle – Division algorithm, Euclid's algorithm, linear Diophantine equation.

**Module 2: Divisibility and Primes – 2 :**

Prime numbers, fundamental theorem of arithmetic.

**Module 3: Congruences – 1:**

Congruence, Properties of Congruence, Linear Congruence, Simultaneous Linear Congruences, Chinese Remainder Theorem.

**Module 4: Congruences – 2:**

Fermat's Little Theorem, Wilson's theorem, Pseudo-primes.

**Module 5: Number theoretic functions:**

Greatest Integer Function, Euler's  $\phi$ -function, Arithmetic Functions, Mobius Function, Dirichlet product.

**Student Learning Outcomes.** Students will be able to :

- 1) effectively express the concepts and results of Number Theory.
- 2) construct mathematical proofs of statements and find counter examples to false statements in Number Theory.
- 3) collect and use numerical data to form conjectures about the integers.
- 4) understand the logic and methods behind the major proofs in Number Theory.
- 5) work effectively as part of a group to solve challenging problems in Number Theory.

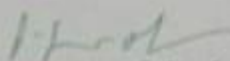
**Reference Books:**

1. K. Rosen, Elementary Number Theory and its Applications (5<sup>th</sup> Edition), Addison-Wesley (2005).
2. T. Koshy, Elementary Number Theory with Applications, Harcourt/Academic Press (2002)
3. G. Andrews, Number Theory, Dover Publications (1994)

**STSN Govt. Degree College Kadiri, Sri Satya Sai (Dist)**  
**Department of Mathematics**  
**2<sup>nd</sup> MPCs (Course on Number Theory)**

**STSN Govt. Degree College Kadiri, Sri Satya Sai (Dist)**  
**Department of Mathematics**  
**2<sup>nd</sup> MPCs (Course on Number Theory)**

S.No	Name of the Student	Signature of the Student
1.	Abba Gangotri	A. Gangotri
2	Bayamuthaka Balaji	B. Balaji
3	Bokula Haritha	B. Haritha
4	Chinnakotla Gowthami	C. Gowthami
5	Deringula Keerthi	D. Keerthi
6	Gadugu Raju	G. Raju
7	Gulime Manohar	G. Manohar
8	Kowlepalli Uday Kiran	K. Uday Kiran
9	Kutala Sreenivasulu	K. Sreenivasulu
10	Naariki Pravallika	N. Pravallika
11	Desigari Chamanthi	D. Chamanthi
12	Mude Balaraju Naik	M. Balaraju Naik
13	Shaik Allabakash	S. Allabakash
14	Antharala Raju	A. Raju
15	Nadimpalli Nandini	N. Nandini
16	Yerragodula Thejeshwari	Y. Thejeshwari
17	Shaik Salma	S. Salma
18	Shaik Neha Bhanu	S. Neha Bhanu
19	Vellasiri Tharun	V. Tharun
20	S.Thabasum	S. Thabasum

  
Signature of the Lecturer

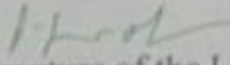
## Brief Report

Number theory is a branch of pure mathematics devoted to the study of the natural numbers and the integers. As it holds the foundational place in the discipline, Number theory is also called "The Queen of Mathematics". The number theory helps discover interesting relationships between different sorts of numbers and to prove that these are true.

The Students of Mathematics should know about the Fundamentals in Number Theory in addition to the regular domain courses. Taking this fact in view Department of Mathematics has planned to conduct an add-on course on Number Theory. In this course, we discussed about Divisibility, Primes, Congruences, Number theoretic functions etc. The faculty member P.Sivaprasad, Lecturer in Mathematics has conducted this add-on course for 30 hours from 17-03-2022 to 16-04-2022 for 20 enrolled students from II MPCs . Class timings were 4:00 PM to 5:00 PM, and the faculty member P.Sivaprasad Lecturer in Mathematics have acted faculty for this course.

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 Department of Mathematics  
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14	Antharala Raju	A. Raju
15	Nadimpalli Nandini	N. Nandini
16	Yerragodula Thejeshwari	Y. Thejeshwari
17	Shaik Salma	S. Salma
18	Shaik Neha Bhanu	S. Neha Bhanu
19	Vellasiri Tharun	V. Tharun
20	S.Thabasum	S. Thabasum

  
 Signature of the Lecturer

SJSN Govt. Degree College Kadiri, Sri Sathya Sai (Dist)  
 Department of Mathematics  
 2<sup>nd</sup> MPCs (Course on Number Theory)  
 From 17.03.2022 to 16.04.2022

S.No	Name of the Student	1 <sup>st</sup>	2 <sup>nd</sup>	3 <sup>rd</sup>	4 <sup>th</sup>	5 <sup>th</sup>	6 <sup>th</sup>	7 <sup>th</sup>	8 <sup>th</sup>	9 <sup>th</sup>	10 <sup>th</sup>	11 <sup>th</sup>	12 <sup>th</sup>	13 <sup>th</sup>	14 <sup>th</sup>	15 <sup>th</sup>	16 <sup>th</sup>	17 <sup>th</sup>	18 <sup>th</sup>	19 <sup>th</sup>	20 <sup>th</sup>	
1.	Abba Gangotri	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
2	Bhavanthaka Balaji	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
3	Bokula Haritha	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
4	Chinnakota Gowthami	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
5	Deringula Keerthi	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
6	Gudaga Raja	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
7	Gulime Manohar	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
8	Kowlepalli Uday Kiran	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
9	Kutala Sreenivasulu	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
10	Nazari Pravalika	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
11	Desigari Chamaethi	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
12	Mudu Balagis Nani	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
13	Shank Allahkath	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
14	Ambarala Raja	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
15	Nadimpalli Nandini	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
16	Yarragobala Thejeshwari	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
17	Shank Saima	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
18	Shank Neha Bhanu	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
19	V Tharan	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P
20	S. Tharassam	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P	P

Signature of the Lecturer

Signature of the Principal



(a)  $ax \equiv b \pmod{m}$

(b)  $ax = b \pmod{m}$

(c)  $ax^2 + bx = c \pmod{m}$

(d) Both a and b

9. Which of the following is a valid solution to the congruence  $2x \equiv 1 \pmod{5}$ ? [     ]

(a)  $x \equiv 3 \pmod{5}$

(b)  $x \equiv 1 \pmod{5}$

(c)  $x \equiv 4 \pmod{5}$

(d)  $x \equiv 5 \pmod{5}$

10. If  $d = (a, m)$ , then the congruence  $ax \equiv b \pmod{m}$  has a solution if [     ]

(a)  $d|b$

(b)  $b|d$

(c)  $d|b-am$

(d) None of these

11. Suppose that  $m_j$  are pair wise relatively prime and  $a_j$  are arbitrary integers ( $j=1, \dots, k$ ), then  $\exists$  solutions  $x$  to the simultaneous congruences  $x \equiv a_j \pmod{m_j}$  s.t. the solutions  $x$  are\_\_.

[     ]

(a) Congruent Modulo  $M=m_1 \cdot m_2 \dots m_k$

(b) Congruent Modulo  $M = \sum_{i=1}^k m_i$

(c) Congruent Modulo  $m_1$

(d) Both a and b

12. Which of the statements is false? [     ]

(a) There is no pattern in prime numbers

(b) No formula exists for prime numbers

(c) Both a and b

(d) None of these

13. Which theorem states that “If  $p$  is prime, then  $(p-1)! \equiv -1 \pmod{p}$ .”? [     ]

(a) Dirichlet’s Theorem

(b) Wilson’s Theorem

(c) Euler’s Theorem

(d) Fermat’s Little Theorem

14. According to fundamental theorem of algebra, every  $n$  degree polynomial\_\_\_\_. [     ]

(a) At least  $n$  roots

(b) At most  $n$  roots

(c) Exactly  $n$  roots

(d)  $n-1$  roots

15. A congruence of the form  $x^2 \equiv a \pmod{m}$  is called\_\_\_\_. [     ]

(a) Linear congruence

(b) Quadratic congruence

(c) Cubic congruence

(d) Polynomial congruence



# Number Theory

## CERTIFICATE OF COMPLETION

This certificate is awarded to

MPCs

for successfully completion of add-on course on **Numbers Theory** conducted by  
**Department of Mathematics, STSN Govt. Degree College ,Kadiri Sri Satya Sai**  
(Dist) 17-3-2022 to 16-4-2022.

SIGNATURE OF INCHARGE

SIGNATURE OF PRINCIPAL